

Cambridge International AS & A Level

CANDIDATE NAME									
CENTRE NUMBER					CANDIDATE NUMBER				
MATHEMATIC	cs							97	09/22
Paper 2 Pure M	/lathemati	cs 2					May	/June	2020
						11	hour	15 mi	nutes
You must answ	er on the	questio	n pape	er.					
You will need:	List of fo	rmulae ((MF19)					

INSTRUCTIONS

- Answer all questions.
- Use a black or dark blue pen. You may use an HB pencil for any diagrams or graphs.
- Write your name, centre number and candidate number in the boxes at the top of the page.
- Write your answer to each question in the space provided.
- Do not use an erasable pen or correction fluid.
- Do not write on any bar codes.
- If additional space is needed, you should use the lined page at the end of this booklet; the question number or numbers must be clearly shown.
- You should use a calculator where appropriate.
- You must show all necessary working clearly; no marks will be given for unsupported answers from a calculator.
- Give non-exact numerical answers correct to 3 significant figures, or 1 decimal place for angles in degrees, unless a different level of accuracy is specified in the question.

INFORMATION

- The total mark for this paper is 50.
- The number of marks for each question or part question is shown in brackets [].

This document has 16 pages. Blank pages are indicated.

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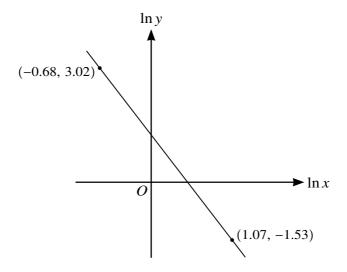
figures.	[3]

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Find th	e gradient	of the cur	ve at the	point $\left(\frac{1}{2}\right)$	$\frac{1}{9}\pi$, $\frac{1}{6}\pi$).						[5
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The variables x and y satisfy the equation $y = Ax^{-2p}$, where A and p are constants. The graph of $\ln y$ against $\ln x$ is a straight line passing through the points (-0.68, 3.02) and (1.07, -1.53), as shown in the diagram.

Find the values of A and p .	[5]

5	(a)	Sketch.	on the same diagr	am, the graphs	x of y = 2x - y	-3 and $v = 3x$	x + 5.	[2]

(b)	Solve the inequality $3x + 5 < 2x - 3 $.	[3]

6 The polynomial p(x) is defined by

$$p(x) = 6x^3 + ax^2 - 4x - 3,$$

where a is a constant. It is given that (x + 3) is a factor of p(x).

(a)	Find the value of <i>a</i> .	[2]
(b)	Using this value of a , factorise $p(x)$ completely.	[3]

Hence solve the equation p(cosec θ) = 0 for $0^{\circ} < \theta < 360^{\circ}$.	
	•••••

a)	Show that $a = \sqrt{2.5 - 0.5 \ln(2a + 1)}$.

(b)	Using the equation in part (a), show by calculation that $1 < a < 2$.	2]
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		••
(c)	Use an iterative formula, based on the equation in part (a), to find the value of a correct to 4 significant figures. Give the result of each iteration to 6 significant figures.	to 3]
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(b)	Solve the equation $3 \sin 2\theta \cot \theta = 5$ for $0 < \theta < \pi$.	
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(b)		

)]	Find the exact value of $\int_{\frac{1}{4}\pi}^{\frac{1}{2}\pi} 3 \sin x \cot \frac{1}{2} x dx$.	[5]
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Additional Page

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